Looking at whole numbers – read and write numbers to 999 999

	V	Ve read and write	numbers in the c	order that	we say them.	
		Thousands	Hundreds	Tens	Units	
		6		1	5	
		six thousand	seven hundred	and f	ifteen	
1	Express the following	ng in numerals:				
	a four thousand th	ree hundred and si	xty two			
	b three hundred a	nd twenty four				
	c eight thousand n	ine hundred and th	nree			
	d four thousand ei	ght hundred and fo	rty one			
	e seven hundred a	nd three				
	f five thousand for	ur hundred and two)			
2	Write the following	in words:				
	a 5816					
	b 915					
	c 8 466					
	d 254					
	e 7 615					
	f 2 598					
3	Match the numeral	s with the words:				
	4 639	six thousand seven	hundred and ninet	У		
	2 709	one thousand and t				

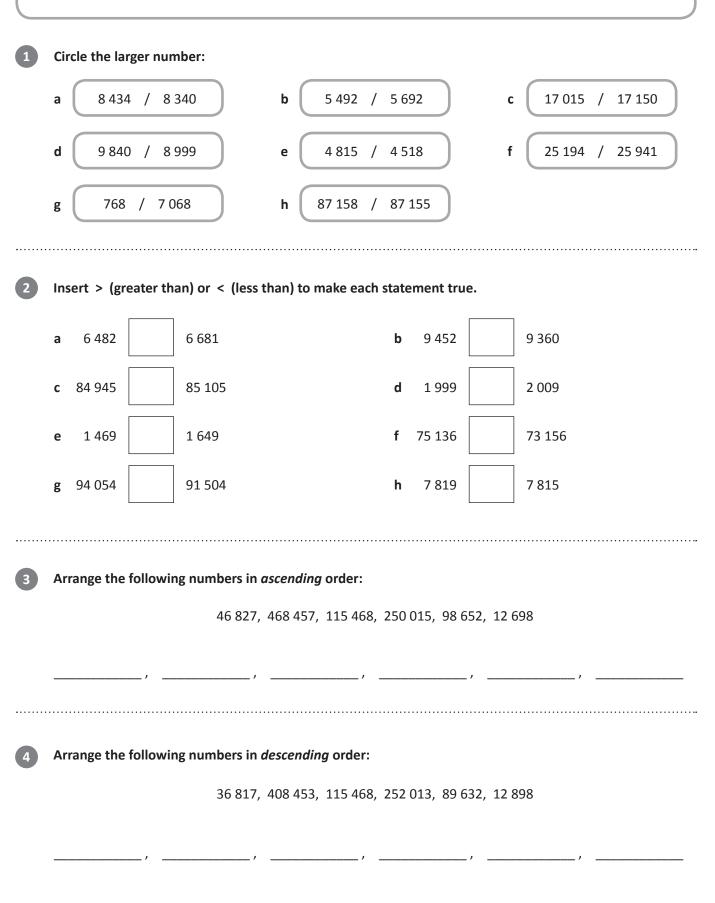
- 8 341 four thousand six hundred and thirty nine
- 1 003 two thousand seven hundred and nine
- 6 790 eight thousand three hundred and forty one

SERIES TOPIC



Looking at whole numbers – order numbers to 999 999

When ordering numbers, we need to pay close attention to the position and value of each digit. Which is the largest? 6 093 3 069 3 960 6 039



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Looking at whole numbers – order numbers to 999 999

Look at each set of numbers and list some that come in between. Write them in order.

	а	23 560	b	123 691	c	110 420	
		37 682		223 691		80 682	
6	Wr	rite a number that is:					••••••••••
	а	More than 5 678		b Clos	se to 56 018		
	С	A little less than 78 931		d Alm	nost double 4 00	00	
	e	Between 34 612 and 38 901		f Les	s than half of 88	3 000	
	_	Navy with 2 was a washing a f	f :				

g Now write 2 more problems for a friend to answer:

Here are the heights of 5 students. Place them on the number line. Find your height and that of two friends and add these to the number line.

Sarah	174 cm
Huy	152 cm
Jack	148 cm
Emma	167 cm
Nikita	121 cm

100 cm

7



Reading and Understanding Whole Numbers

Looking at whole numbers – create and compare numbers

This table shows the population of 10 regional centres. Use the information to answer the following questions:

Name	Population 1996	Population 2001
Rainsalot	92 273	98 981
Funkytown	59 936	68 715
Point Lonely	24 945	45 299
Dullsville	15 906	24 640
Nirvana	67 701	68 443
Dodgy Meadows	270 324	279 975
Braggersville	125 382	130 194
Letsgo	15 906	11 368
Notsoniceton	42 848	44 451
Mt Hero	21 751	20 525



- **a** The population of the mystery place in 2001 is less than it was in 1996. It has decreased by approximately 1 000 people. The place is ______.
- b You have gone back in time to 1997. You live in a city that has a population of more than 55 000
 but less than 60 000. You live in ______.
- **c** It is now 2001. You have decided to move to a larger centre. This centre has a 4 in the units place and a zero in the thousands place. You move to ______.
- **d** In 2001 you decided to go on a holiday. You only visited centres that had a population of between 40 000 and 99 000. Which towns did you visit?
- e Many regional centres showed growth between 1996 and 2001. List the ones that grew by more than 5 000 residents.
- **f** Your family moved here in 1996 and since then, the population has nearly doubled. Where did you move to?



It's holiday time!

apply



Your family has just won the dream trip of a lifetime! You have won an all expenses paid trip to 5 towns or cities of your choice. That's right, anywhere in the world with everything paid for.



Your job is to plan the trip, following these guidelines:

- 1 Your dad hates big cities so one place must have a population of 10 000 or less.
- **2** Your mum wants to shop. Big time.

.....

- **3** Your gran has always wanted to see New York.
- 4 You get to choose the other two places.

Record your selections in the left column of the table below:

Place	Population



Use an atlas or the internet to help you research the population of your 5 towns or cities, then use the information to answer the following:

a Order your towns from smallest population to largest:

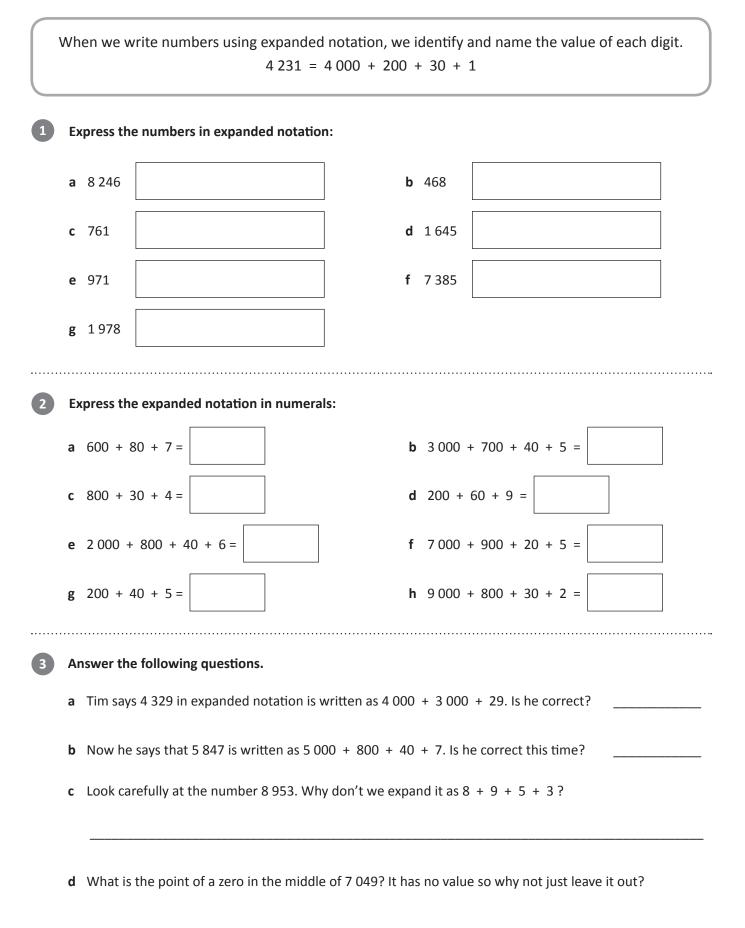
b Choose two of your destinations and write their populations in words:

c Find a way to divide your places into two numerical categories such as odd/even, smaller than 100 000/greater than 100 000. Get a friend to see if they can work out the rule that you have applied.



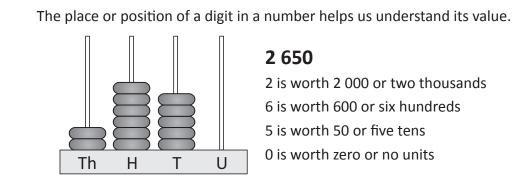


Place value of whole numbers – expanded notation





Place value of whole numbers – place value to 4 digits



2 6 5 0

2 is worth 2 000 or two thousands 6 is worth 600 or six hundreds 5 is worth 50 or five tens 0 is worth zero or no units

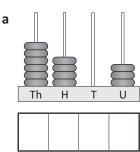
Fill in the place value chart for each number. The first one has been done for you.

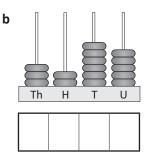
		Thousands	Hundreds	Tens	Units
а	465		4	6	5
b	8 972				
с	45				
d	798				
е	4 507				
f	3 041				

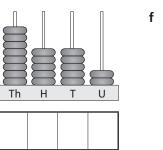
2

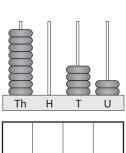
е

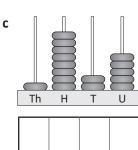
Write the number shown on each abacus.

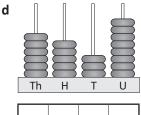




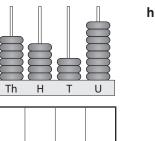


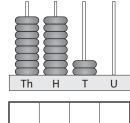














11

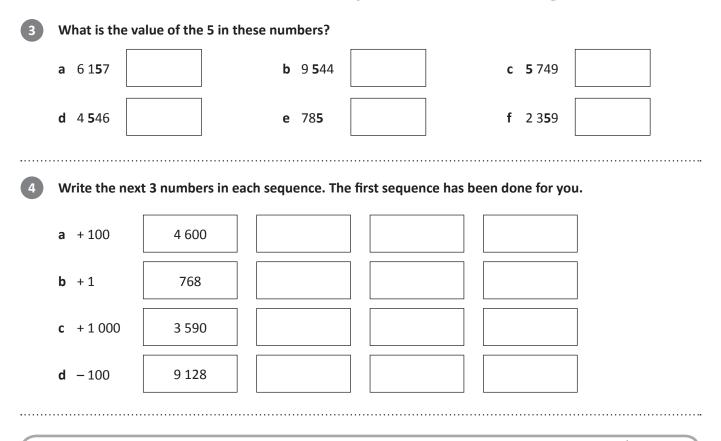
Reading and Understanding Whole Numbers

g

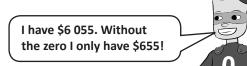
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SERIES ΤΟΡΙΟ

Place value of whole numbers – place value to 4 digits



Zero plays an important role in numbers. It tells us that the value of the column is nothing and holds the place of the other numbers.



5

Complete the cross number puzzle. Make sure you include the zeros in the right places.

1			2		3
		4		5	
	6		7		
	8				
					9
10					

Across

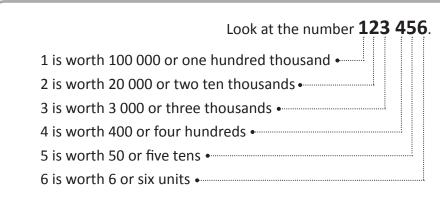
- 1. four thousand two hundred and seven
- 4. seven thousand and ninety four
- 6. two thousand five hundred and sixty
- 8. one thousand and forty seven
- 10. nine thousand and forty three

Down

- 1. four thousand and eighty six
- 2. seven hundred
- 3. two hundred and four
- 4. seven thousand and fifty
- 5. nine thousand two hundred and seven
- 6. two thousand one hundred and thirty
- 7. six thousand four hundred and three
- 9. sixty



Place value of whole numbers – place value to 6 digits



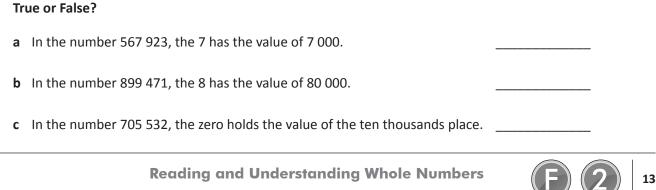
When we write large numbers we put a space after every three numbers. This is because our brains prefer small chunks of information. We chunk from right to left: 2 568 023.

Write the number shown in each row of this place value chart. The first one has been done for you.

	Hundred thousands	Ten thousands	Thousands	Hundreds	Tens	Units
45 168		4	5	1	6	8
			5	4	9	4
	7	1	8	9	5	4
		4	6	5	1	2
		2	5	7	7	4
			8	1	9	1
			3	0	4	1

Identify the value of the digit in bold. The first one has been done for you.

a 54 9 157	9 000	b 954 4	c 8 5 749	
d 4 67 849		e 12 4 68	f 46 8 8	
g 1 3 4		h 9 4 115	i 9 9 4 913	



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Place value of whole numbers – place value to 6 digits

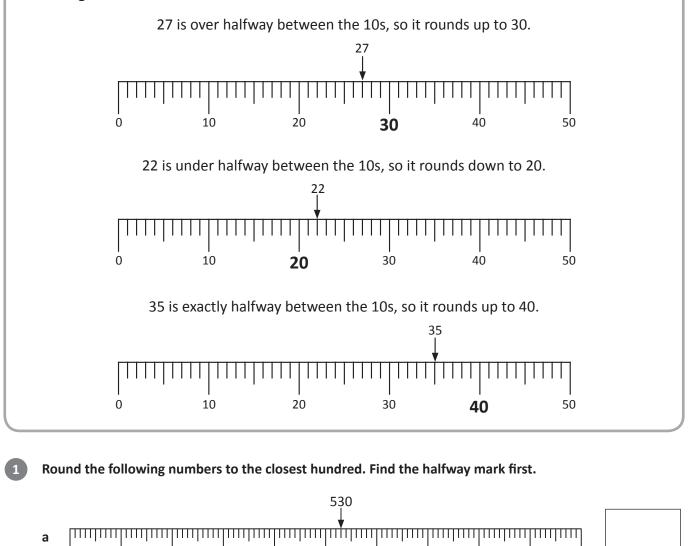
I have 5 digits.				
Every digit is an odd number and every digit in the number is different. The greatest digit is in the units place and the smallest digit is in the ten thousands place.				
So far, I could be 2 numbers. I am the greater of the	se.			
I am				
I have 6 digits.	A useful strategy is to make line			
If you add one unit to me I have 7 digits.	where each digit should go and fill them in as you work them o			
What number am I?				
l am				
I am one half of a million plus one.				
What number am I?				
I am	REMEMBER			
I have 5 digits.				
I have a 6 in the ten thousands place and my digit in	the unit place is the smallest even number			
My middle digit is one more than the units digit.				
My thousands digit is double my units digit and my	tens digit is double my thousands digit.			
What number am I ?				
l am				
Write a problem for a friend to solve:				

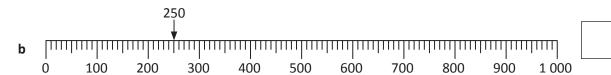


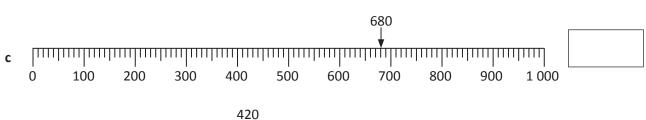
Round and estimate – round to a power of 10

Rounding makes big numbers easier to work with. We round up if the number is exactly halfway between the 10s or over the halfway mark. We round down if the number is under the halfway mark.

Rounding to the nearest 10







1 000



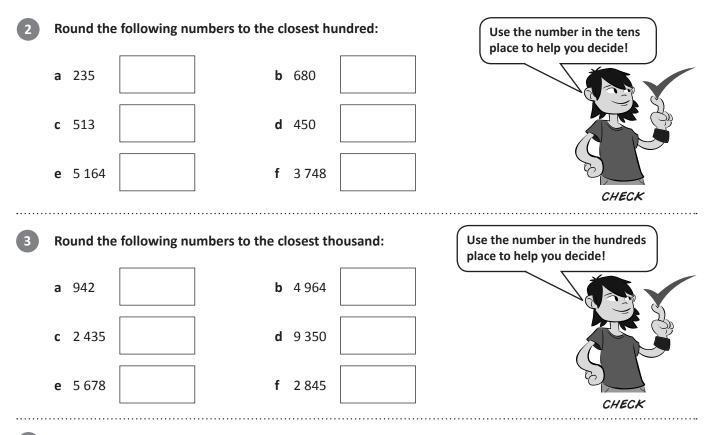
Round and estimate – round to a power of 10

Δ

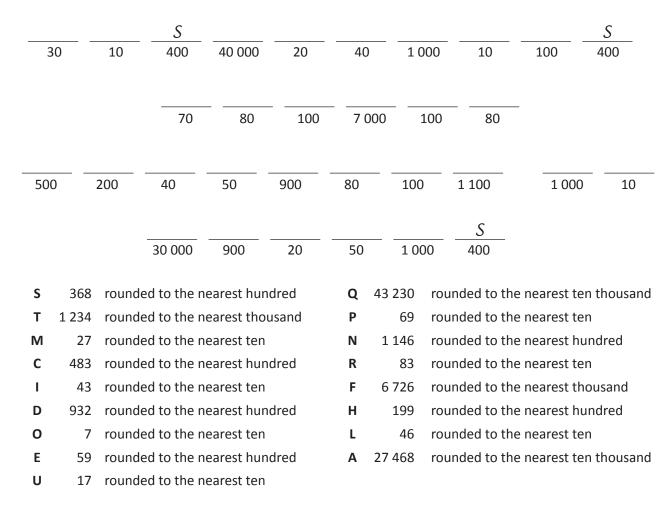
18

SERIES

TOPIC



To find the hidden fact, round the numbers in the clues below and insert the matching letters above the answers. The first clue has been done for you.



Reading and Understanding Whole Numbers

Round and estimate – estimate

We use estimating when we want an approximate answer to a calculation. Rounding helps us do this. We round numbers so we can work with them more easily in our heads.

> Look at 333 + 521. Rounded to the nearest 10, they are 330 and 520. 330 + 520 = 850Therefore 333 + 521 is approximately 850.

Complete these steps to see why estimating is handy.

a Use the problem 57 - 38 =

. Time how long it takes you or a friend to solve it mentally.

b Now round the numbers to the nearest ten and time how long it takes to solve this problem.

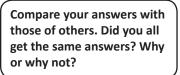
c Which problem is faster to solve?

2

d Can you think of an occasion you would use estimation?

Practise estimating with these problems. You can use the middle column to jot down your rounded number sentences or just do them in your head. If you want to add some tension to the activity, race against a partner.

Sentence	Rounded Sentence	Answer
384 + 53		
22 + 69		
406 - 89		
379 + 203		
93 - 61		
609 - 498		
826 + 599		
221 + 11		
704 + 341		
47 + 996		









Round and estimate – estimate



5

Round then estimate to find the best answer to these calculations. Circle the best answer:

а	72 – 48	=	30	20	27
b	57 + 31	=	90	15	30
с	126 - 37	=	90	100	30
d	567 – 23	=	500	550	600
е	899 + 47	=	850	950	900
f	1 215 + 134	=	1 400	1 300	1 000
g	6 454 + 207	=	6 000	8 000	6 700



Use estimation to assess whether these statements might be true. Tick the ones you think are true and cross the ones you think are false.

a 568 + 311 > 1 000	b 27 + 58 > 70
c 899 - 378 < 600	d 571 – 22 > 500
e 245 + 245 > 500	f 1 005 + 790 > 2 000

Use estimation to answer these word problems:

- **a** Sarah is saving money to go to the fair. In week 1 she saves \$13, in week 2 she saves \$19 and in week 3 she saves \$29. Estimate how much money she has at the end of week 3.
- **b** The show bags that Sarah wants cost roughly \$15 each. If she wants to spend half her money on show bags, how many show bags can she buy?
- c For lunch, Sarah wants a hot dog, hot chips and 3 jam donuts (mmm... healthy). She has budgeted \$10 for lunch. Look at the price list below and estimate whether she can buy what she wants and stay within her budget.

Menu	Price
Pie/pastie	\$2.50
Sausage roll	\$2.00
Hot dog	\$3.80
Jam donuts	3 for \$2.00
Hot chips	\$3.00
Hamburger	\$6.50



When estimating, we always need to check that our answers are **reasonable**.

\$23 + \$59 = \$1000. Is this estimation reasonable?



2

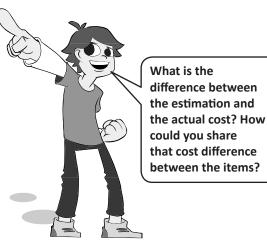
Are these estimations reasonable? Explain your thinking.

- **a** Nicola wants a digital camera that costs \$486 and a memory stick that costs \$46. She estimates she will spend approximately \$1 000 on both. Is this estimation reasonable?
- **b** Shakeb says 91 + 33 is close to 120. Is this estimation sensible?
- **c** Kylie is crazy about dolphins. She has 4 889 pictures of them, 389 stuffed toys, and 481 figurines. She thinks she has about 6 000 items altogether. Is this estimation reasonable?
- **d** Sean made a list of the money he had spent on lunch over the week. He then estimated that he had spent \$30 over the week. Is this a reasonable estimate?

Mon \$4.50 Tues \$5	65 Wed \$3.85	Thurs \$6.25	Fri \$7.70
-----------------------------------	----------------------	---------------------	-------------------

In these problems, work backwards from an estimated answer to find the possible starting points.

- **a** Daniel bought 3 chocolate bars. He estimated the bars to cost \$2, \$3 and \$1.50. This would make the total estimated cost \$6.50. The **actual** cost was \$6.75. What could each of the chocolate bars have cost?
- b Hung bought 3 books. He estimated their costs to be \$5, \$9 and \$15. This would make the total estimated cost \$29. The actual cost was \$33. What could each of the books have cost?
 Find two possibilities.

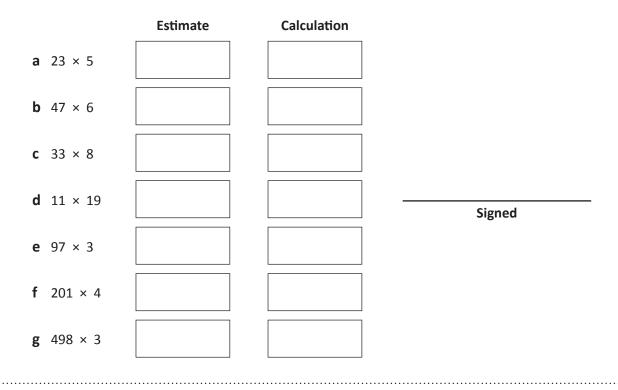






When we use a calculator, it is tempting to rely on it and to stop thinking. Estimating helps us develop an idea of what the possible answer should be. If we make an error with the calculator, we then know to try again.

Estimate the answer to these problems. Get a friend to sign off on your estimations, then use a calculator to solve the problems.



Breathe in... breathe out... breathe in... breathe out...

How many breaths do you take in a day? Not exactly, an estimation will do. You'll need a clock with a second hand. You may also want to use a calculator. Ask a partner to help you keep track of how many breaths you take in a minute, then multiply as necessary.

a Use this table to help you organise your calculations.

Time Frame	Number of Breaths
per minute	
per hour	
per day	

b Can you take it further? How many breaths could you take in a week?

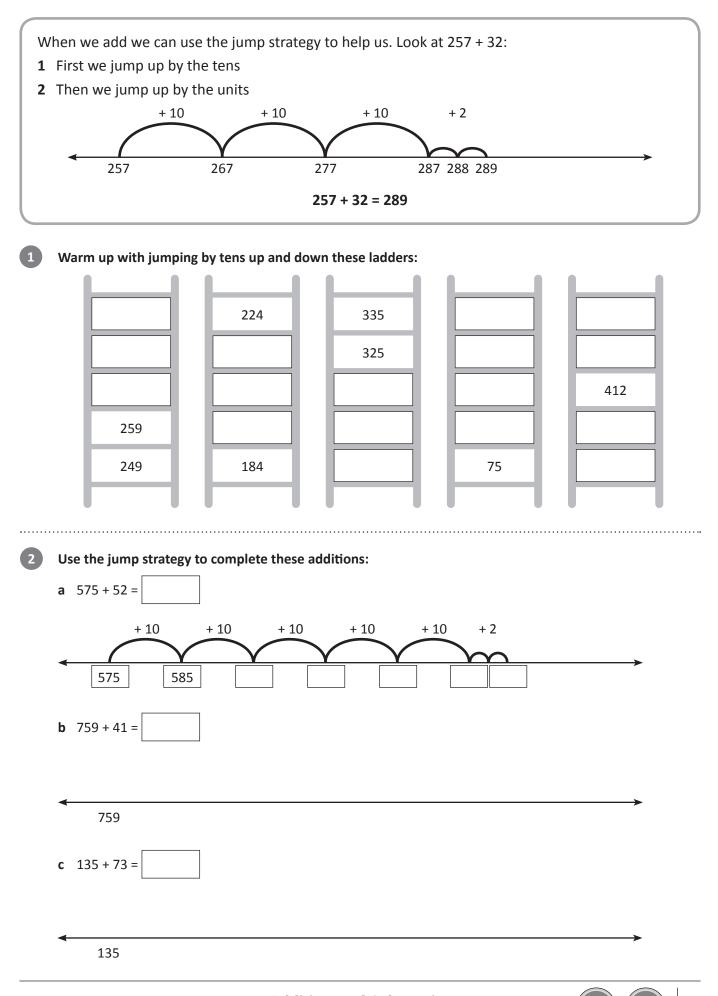
c What about in a year?



How many



Addition mental strategies – jump strategy

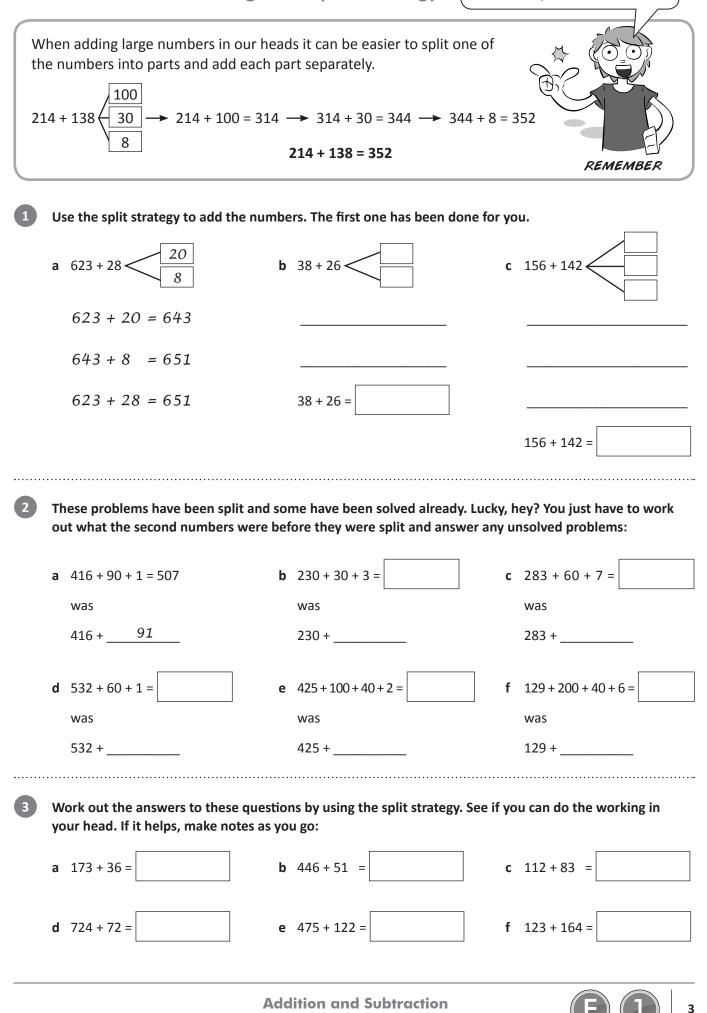


Addition mental strategies – split strategy

(138 can be spilt into 100, 30 and 8.

SERIES

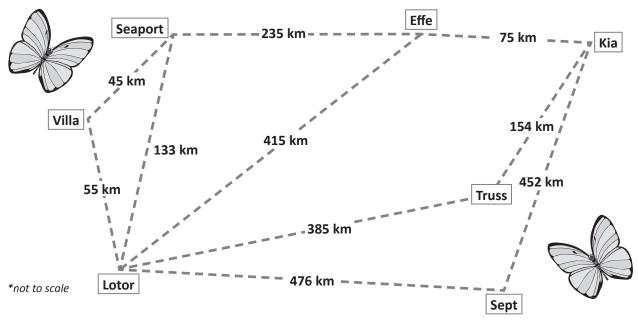
TOPIC



Addition mental strategies – split strategy

4

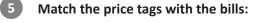
Butterflies can fly great distances. Use the map and the split strategy to calculate the total distance flown by each butterfly in the table below:

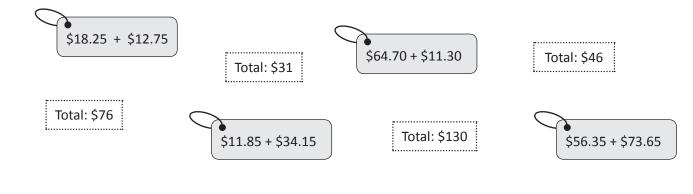


Flight Path	Distances to add	Total distance
The Field Crescent flies from Lotor to Villa and then to Seaport	55 + 45	
The Painted Lady flies from Sept to Lotor and then to Villa		
The Fawn flies from Seaport to Effe and then to Kia		
The Monarch flies from Sept to Kia and then to Effe		

We often use the split strategy when adding money. We split the amounts into dollars and cents, work out each part and then add the two answers together:

\$28.50 + \$16.80 = (\$28 + \$16) + (\$0.50 + \$0.80)= \$44 + \$1.30 = \$45.30





Addition mental strategies – compensation strategy

to	do in our he 405 + 69	round one number in th ads. Then we adjust our = 474 -1 <i>I rounded up I</i> = 474 <i>so I subtract 1</i>	by 1 I added 1 extra to round to 70 so I have to take 1 off my answer.
1	Warm up by	rounding these numbers t	to the closest ten:
	a 48	b 67	c 232 d 74
	e 89	f 456	g 955 h 786
2	Solve these p	problems using compensat	tion:
	a 45 + 37	=	b 66 + 18 =
	45 + 40		66 +
		=	=
	c 86 + 49	=	d 124 + 57 =
	86 +	_ ()	124 +
		=	=
We	e can also ro	und down to the closest	ten. When we do this we add to compensate.
3	Round these	numbers to the closest te	n. Then compensate by adding:
	a 26 + 42	=	b 35 + 63 =
	26 + 40	\bigcirc	35 +
		=	=
	c 96 + 21	=	d 145 + 34 =
	96 +	_ ()	145 +
		=	=

Addition and Subtraction

5

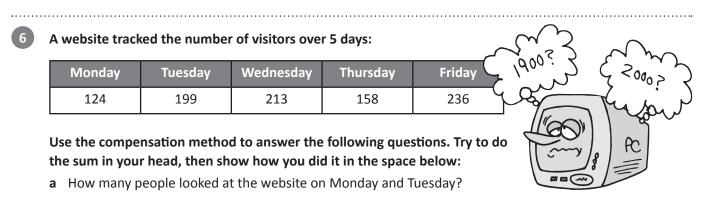
SERIES TOPIC

Addition mental strategies – compensation strategy

Connect the statements with their answer:	
When we round down we compensate by	subtracting
When we round up we compensate by	adding

Solve these addition problems using compensation. Decide if you need to round up or down and compensate accordingly. Make as many notes as you need to:

a 425 + 67	b 673 + 98	c 275 + 91
d 784 + 32	e 316+73	f 115 + 79



b How many people looked at the website on Thursday and Friday?

c On which 2 days did the total reach 449 visitors?



Crack the city code

apply



Work out the answers to these sums in your head. Each answer matches a letter in the list on the right. Write the letters next to your answers, then unjumble the letters to find the name of a city.

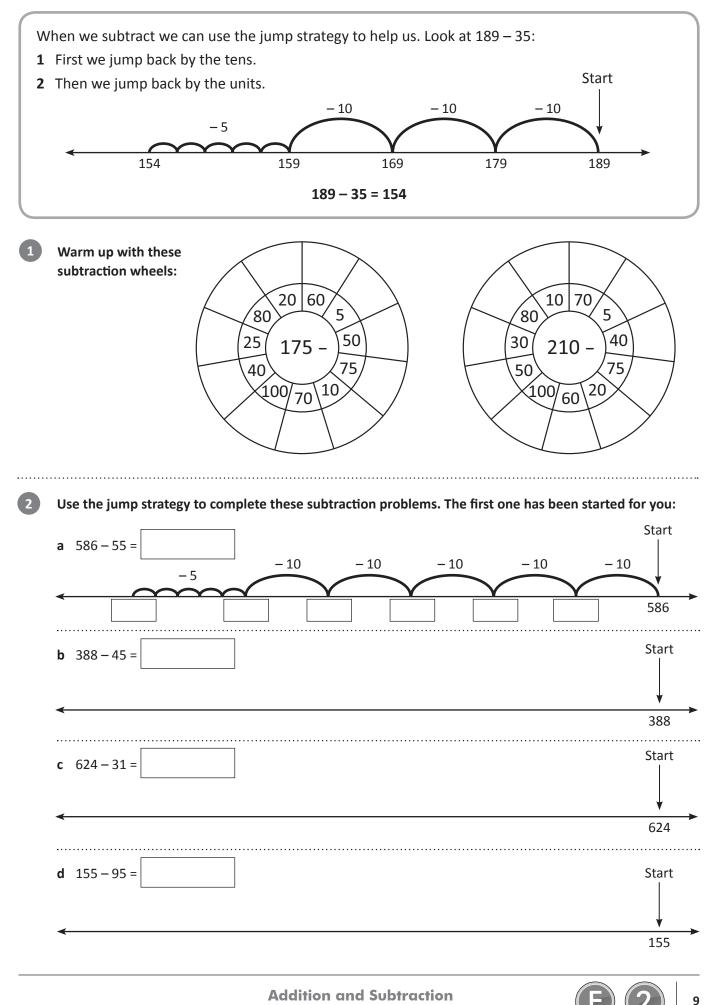


Try competing with a friend to be the fastest to do all of the sums and work out the names of the three cities.

a 701 + 126 =	Letter	Code
501 + 81 =	Letter	A = 922
810 + 117 =	Letter	B = 754
304 + 205 =	 Letter	C = 141
Ĺ		D = 582
810 + 17 =	Letter	E = 927
230 + 626 =	Letter	F = 735
T I		G = 222
The city is		H = 358
L 202 - 246		I = 780
b 293 + 216 =	Letter	J = 989
811 + 111 =	Letter	K = 481
650 + 130 =	Letter	L = 909
610 + 57 =	 Letter	M = 398
010+57 = [N = 856
380 + 32 =	Letter	O = 975
The city is		P = 667
		Q = 555
c 816 + 40 =	Letter	R = 412
Ĺ		S = 509
913 + 62 = [Letter	T = 538
751 + 105 =	Letter	U = 656
830 + 79 =	Letter	V = 1110
882 + 93 =		W = 1150
Ĺ		X = 716
471 + 111 = [Letter	Y = 827
The city is		Z = 1907
$830 + 79 = \begin{bmatrix} \\ 882 + 93 \end{bmatrix} = \begin{bmatrix} \\ 471 + 111 \end{bmatrix} = \begin{bmatrix} \\ \end{bmatrix}$	Letter Letter Letter Letter Letter Letter Letter	T = 538 U = 656 V = 1110 W = 1150 X = 716 Y = 827



Subtraction mental strategies – jump strategy



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TOPIC

Subtraction mental strategies – jump strategy

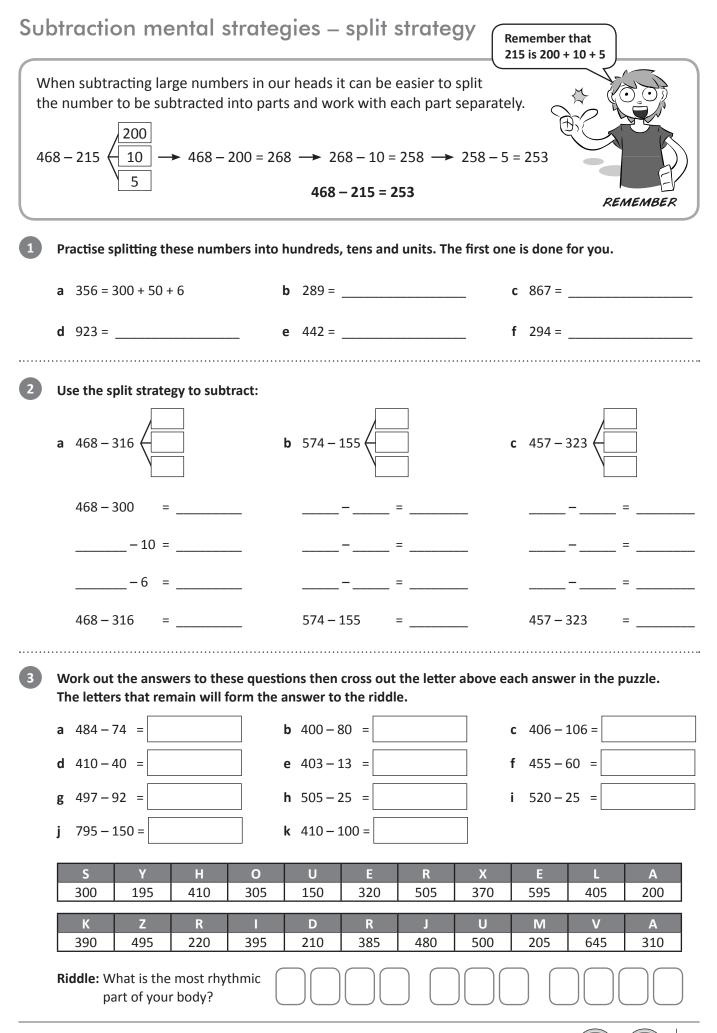
Work out the answers to these by using the jump strategy. See if you can do the working in your head:
a 274-30 =
b 872-61 =
c 444-50 =
d 784-61 =
e 189-35 =
f 825-60 =
An electronics store had a sale on the following video games. Use the jump strategy to work out the savings on each item:



Use the prices above and the jump strategy to solve these problems. Show your answer and any working out:

- **a** Tahlia saved her pocket money for weeks to buy Fitness Frenzy. She had \$120 saved and bought Fitness Frenzy in the sale. How much money did she have left after the purchase?
- **b** Martin saved up especially for the sale and bought 2 items for \$186. He bought Bionic Bozo and which other game?
- **c** Dana bought Taekwondo Team for her husband before the sale. What change did she receive if she paid with 2 \$100 notes?





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11

SERIES

TOPIC

Subtraction mental strategies – split strategy

4

5

These problems have been completed. Are they correct? If not, circle where it all began to go wrong:

a 375 - 164	b $429 - 143 \begin{pmatrix} 100 \\ 40 \\ 3 \\ 3 \end{pmatrix}$	c $179 - 158$ 50 8
375 – 100 = 275	429 - 100 = 323	179 - 100 = 79
275 - 60 = 215	323 - 4 = 319	79 – 50 = 39
215 – 4 = 211	319 - 3 = 316	39 - 8 = 31
375 - 164 = 211	429 - 143 = 316	179 - 158 = 31

The following problems require you to add and subtract. Use the split strategy to help you solve them:

Four different families went on a holiday over Easter. Work out the distance that each car has travelled on the missing days:

	Robertsons	Pankhursts	Cailes	Darnleys
Day 1	125 km	225 km		130 km
Day 2	375 km		525 km	
Day 3		110 km	125 km	270 km
Total distance	735 km	836 km	950 km	695 km

Make as many notes as you need to help you:

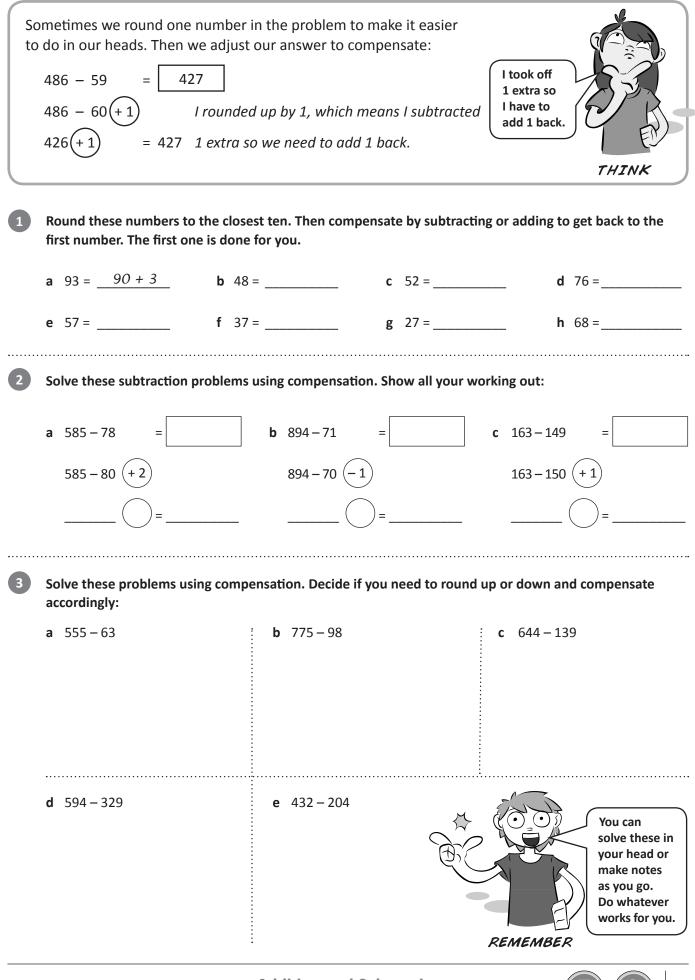
6 Assuming that each family started their holiday from the same place, work out where each family was at the end of Day 2. Connect the place with the family by drawing a line:





Addition and Subtraction

Subtraction mental strategies – compensation strategy



Addition and Subtraction

13

SERIES

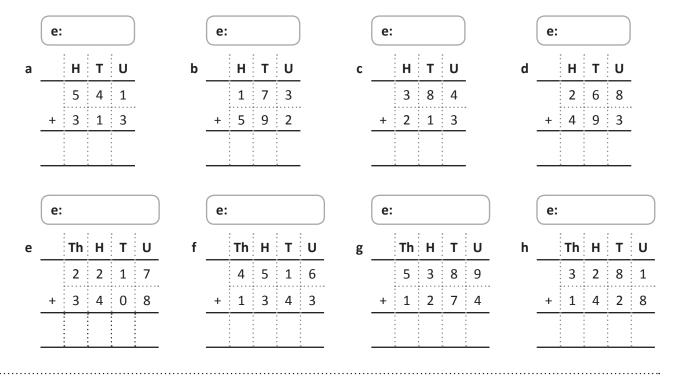
TOPIC

Written methods – addition

	н	Т	U
	¹ 2	¹ 3	5
+	4	8	9
	7	2	4

How do we add using a written strategy? First we estimate: 235 + 500 = 735. Our answer will be around 735. We start with the units. 5 + 9 is 14 units. We rename this as 1 ten and 4 units. We put the 4 in the units column and carry the 1 to the tens column. 3 tens plus 8 tens plus the carried ten is 12 tens. We rename this as 1 hundred and 2 tens We put the 2 in the tens column and carry the 1 to the hundreds column. We add the hundreds. We put 7 in the hundreds column. Finally we check against our estimate – do they match?

Solve these addition problems. First estimate the answers:



Use these cards to make 5 different addition problems using 2 and 3 digit numbers. Show your working out:





Written methods – subtraction

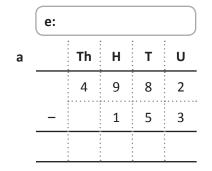
	Н	T	U
	9	⁸ X	¹ 4
_	2	7	8
	7	1	6

First we estimate: 1000 – 300 = 700
We start with the units. We can't take 8 away from 4 so we must rename one of the tens as units. We now have 14 units.
14 subtract 8 is 6 so we put the 6 in the units column.
8 tens subtract 7 tens is 1 ten so we put a 1 in the tens column.
We subtract the hundreds. 9 hundred subtract 2 hundred is 7 hundred.
Put a 7 in the hundreds column.

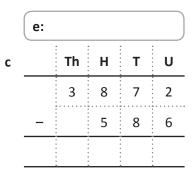
We check the answer against our estimate.

b

Complete the subtraction problems:



e:									
	Th	н	т	U					
	2	9	5	1					
-		8	7	8					



When a problem asks us to find the difference, we subtract. We always start with the larger number.

Nor Rop	manville er	4129 kmTidings1233 km3262 kmRinger7869 km7419 kmHarpville486 km1226 kmEagle Bay595 km						n n
b	What is distance Norman to Tiding	from ville		Th	U 			
d	How far Norman Ace Bay		Th	H	т	U		

Solve these to find the difference problems:

a How far from Showtown to ─ Ringer?

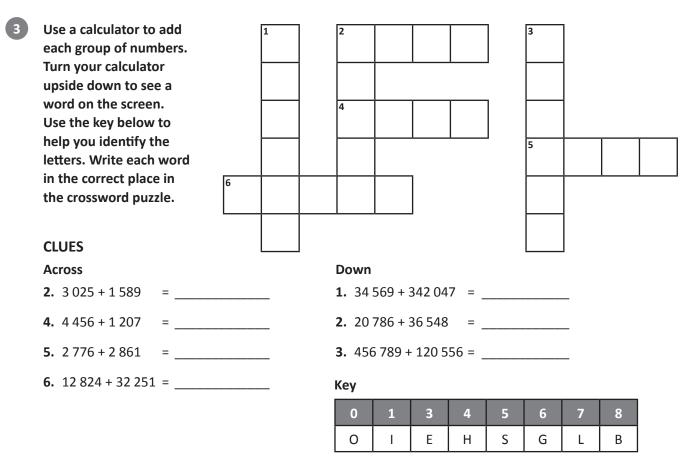
In	н	÷ •	U
:	•	•	
	*		*
	:		
	• • • • • • • •	• • • • • • • • •	* • • • • • • •
		•	
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:		:	:
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•	*	•	•
		÷	
		:	
			·

c What is the distance from Roper to Eagle Bay?

Addition and Subtraction

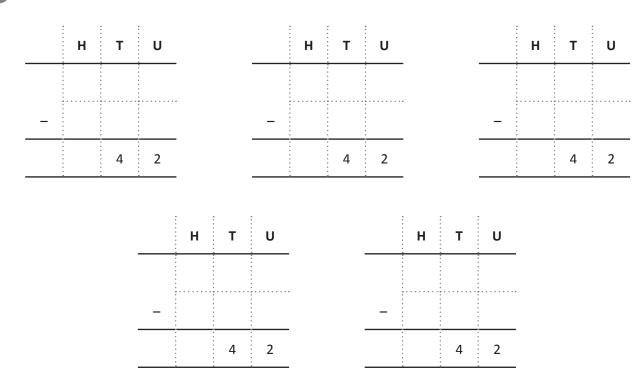


Written methods – subtraction



.....

The answer is 42. What could the missing numbers be? Come up with 5 possibilities:

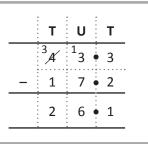




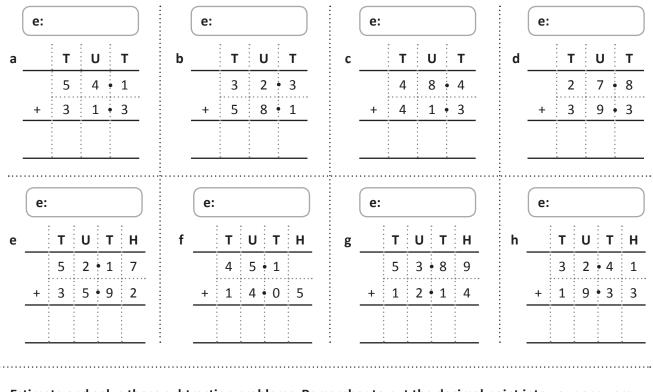
4

Addition and Subtraction

When we add and subtract decimals we follow the same rules we use when working with whole numbers. We need to make sure we line up the place values and the decimal points:

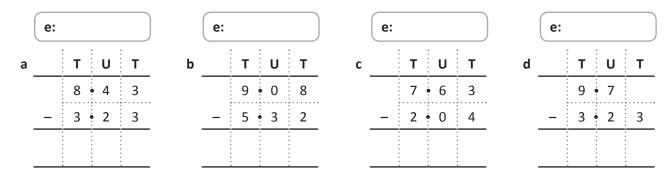


Estimate and solve these addition problems. Remember to put the decimal point into your answers:



Estimate and solve these subtraction problems. Remember to put the decimal point into your answers:

2



Bart finished his race in a time of 10.67 secs. Lisa finished in 11.24 secs. How much faster was Bart?



Written methods – adding and subtracting decimals

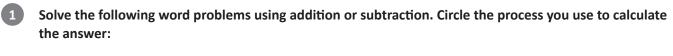
4 You bought the following. Find the difference between the discount price and regular price for each item, then calculate your total savings. Show all your working out:

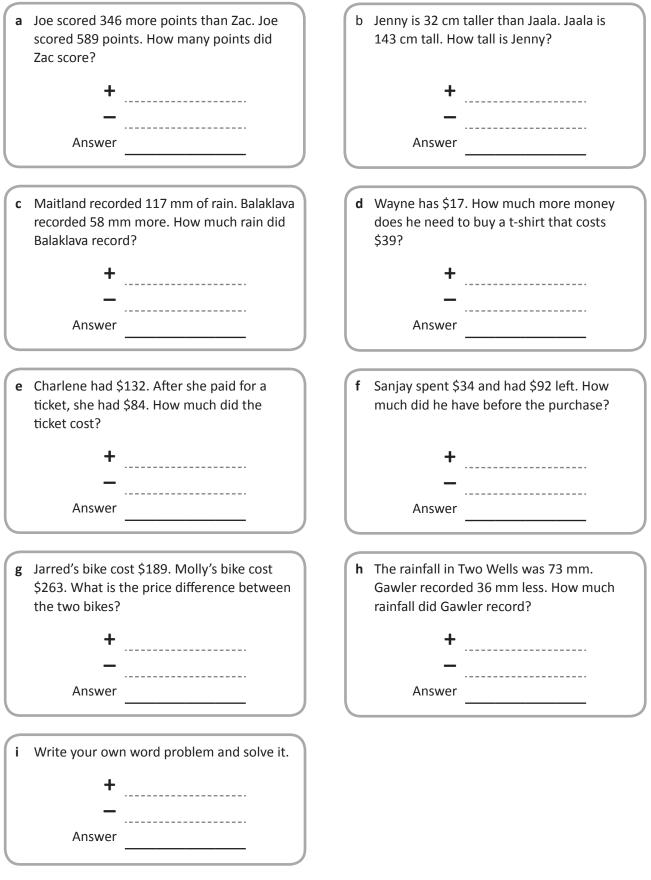
Was \$9.99	$\overline{}$
Now \$8.50	
Save \$	
	Was \$8.50
	Now \$7.99
Was \$7.35	Save \$
Now \$6.85	
Save \$	Σ
	- X
	Was \$8.95
	Now \$6.50
	Save \$
Save \$	
Х	
	Was \$4.66 Now \$3.89
	Save \$
	Now \$8.50 Save \$ Was \$7.35 Now \$6.85

Total savings: _____



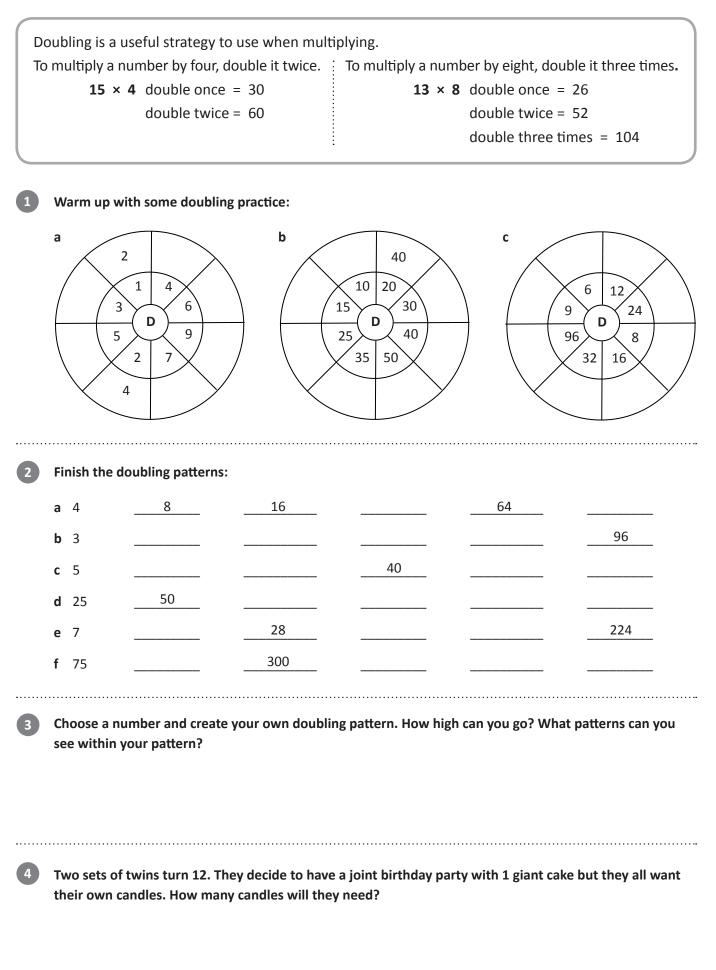
Written methods – word problems







Mental multiplication strategies – doubling strategy





SERIES

1

TOPIC

Mental multiplication strategies – doubling strategy

5	Use the doubli	ng strategy to solve	these:	To multiply by 4, double						
	(× 2	× 4	twice. To multiply by 8, double three times.						
	a 13 × 4	26	52							
	b 16 × 4									
	c 24 × 4									
	d 25 × 4									
	e 32 × 4									
	f 21 × 4			E						
	g 35 × 4			REMEMBER						
6	Use the doubli	ng strategy to solve	these:							
		× 2	× 4	× 8						
	a 12×8	24		96						
	b 14 × 8			112						
	c 25 × 8									
	d 21 × 8		84							
	e 13 × 8									
	f 16 × 8	32								
7	Work out the a above if it help	-	d using the appropri	ate doubling strategy. Use a table like the one						
	a 18 × 4 =		b 16 × 4 =	c 26 × 4 =						
	d 24 × 8 =		e 15 × 8 =	f 22 × 8 =						
8	Nick's dad offe	red him two metho	ds of payment for he	elping with a 5 week landscaping project.						
	Method 1: \$24	a week for 5 weeks.								
			en double the payme							
	Which method	would earn Nick the	e most money? Why?							



Mental multiplication strategies – multiply by 10s, 100s and 1 000s

When we multiply by 10 we move the number one place value to the left. When we multiply by 100 we move the number two place values to the left. When we multiply by 1 000 we move the number three place values to the left. Look at how this works with the number 45:

Ten Thousands	Thousands	Hundreds	Tens	Units	
			4	5	
		4	5	0	× 10
	4	5	0	0	× 100
4	5	0	0	0	× 1 000



• • •

3

Multiply the following numbers by 10, 100 and 1 000:

	а	T Th	Th	н	Т	U		b	T Th	Th	н	Т	U	
					1	7						4	3	
							× 10							× 10
							× 100							× 100
							× 1 000							× 1 000
														-
	С	T Th	Th	н	Т	U	ļ	d	T Th	Th	Н	Т	U	
					8	5						9	9	
							× 10							× 10
							× 100							× 100
							× 1 000							× 1 000
							-							-
2	Try	these:												
	a 1	L4 × 10	=			b	14 × 100 =	4 × 100 =			c 14 × 1 000 =			
	d 9	92 × 10	=			e	92 × 1 000 =				f 92	× 100	=	
	g 1	L1×10	00 =			h	11 × 100 =				i 11	× 10	=	

You'll need a partner and a calculator for this activity. Take turns giving each other problems such as "Show me 100 × 678". The person whose turn it is to solve the problem, writes down their prediction and you both check it on the calculator. 10 points for each correct answer, and the first person to 50 points wins.



3

Mental multiplication strategies – multiply by 10s, 100s and 1 000s

lt is a	also han	dy to know	how to m	ultiply multipl	es of 10 such	as 20 or 200 in c	our heads.
4 × 2	helps u	s work out	4 × 20:	4 × 2 = 8	4 × 20 = 8	30	
Weo	can expr	ess this as 4	1 × 2 × 10 =	= 80 Ho	w would you	work out 4 × 200)?
U	se patte	rns to help y	ou solve th	lese:			
а	5 × 2			5 × 20		5 × 20	0
b	2 × 9			2 × 90		2 × 90	0
с	6 × \$4			6 × \$40		6 × \$4	.00
d	8 × 3			8 × 30		8 × 30	0
e	3 × \$7			3 × \$70		3 × \$7	/00
f	2 × 8			20×8		200 ×	8
g	3×9			30 × 9		300 ×	9
b	will he The su	have saved	at the end on the end of the end	. When you mu			
Fi	inish the	se counting	patterns:				
а	10	20	30				60
b	20	40			80		
C		60					
d	-	80	150			200	240
e		100			400		
f	100	200					



g 200

4

400

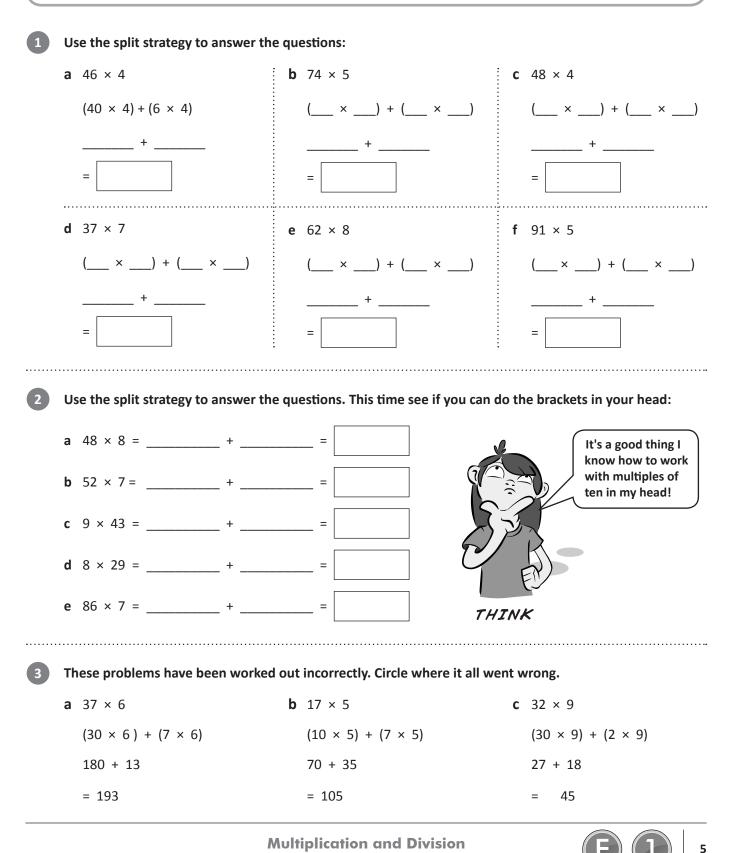
Multiplication and Division

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1 200

Mental multiplication strategies – split strategy

Sometimes it's easier to split a number into parts and work with the parts separately. Look at 64×8 Split the number into 60 and 4 Work out (60×8) and then (4×8) Add the answers together 480 + 32 = 512



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SERIES

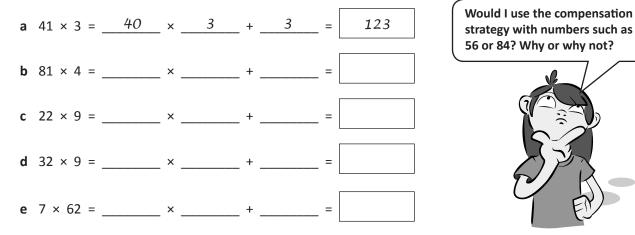
TOPIC

Mental multiplication strategies – compensation strategy

When multiplying we can round to an easier number and then adjust. Look how we do this with 4×29 29 is close to 30. We can do 4×30 in our heads because we know $4 \times 3 = 12$ $4 \times 30 = 120$ We have to take off 4 because we used one group of 4 too many: $120 - (1 \times 4) = 116$ $4 \times 29 = 116$

Use the compensation strategy to answer the questions. The first one has been done for you. a $19 \times 3 = 20 \times 3 - 3 = 57$ b $8 \times 29 = 20 \times 9 - 100$ c $18 \times 6 = 20 \times 9 - 100$ d $7 \times 39 = 20 \times 9 - 100$ e $28 \times 5 = 20 \times 9 - 100$ We can also adjust up. Look how we do this with 6×62 : 62 is close to 60. We can do 6×60 in our heads because we know $6 \times 6 = 36$ $6 \times 60 = 360$ We have to then add 2 more lots of 6: 360 + 12 = 372 $6 \times 62 = 372$

Use the compensation strategy and adjust up for these. The first one has been done for you.



THINK



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Mental multiplication strategies – factors and multiples

Fa	cto	rs ar	e the	num	bers	we m	nultip	ly tog	gethe	er to	get 1	to ar	nothe	er nu	mbe	r:					\square
					G	facto	r)	× (fac	tor) =	= (w	hole	num	ber)				
						he nu I facto			have	?4	× 3	= 1	2,6	× 2	= 12	,1×	12 =	= 12			
1	Lis	t the	facto	ors of	these	e num	bers:														
	а	18										b	25								
	с	14										d	9								
	e	16										f	15								
	g	30										h	42								
•••••																					
2	Fil	l the	gaps	in the	se se	ntenc	es. Tl	he firs	st one	e has	beeı	n do	ne fo	r you.							
	а	1	or _	16	_ or	2_0	or	<u>8</u> or	- <u>4</u>	pe	ople	can	share	e 16 lo	ollies	evenl	y.				
	b		or _		_ or	(or	or	ſ	or		pe	eople	can s	hare	20 sli	ces of	pie e	venly		
	С		or _		_ or	0	or	or	r	or		or		or _		_ peo	ple ca	n sha	re 24	cherr	ies.
	d		or _		_ or	(or	or	r	or		or		or _		_ peo	ple ca	n sha	re 30	penci	ls.
	е		or		peop	ole ca	n sha	re 5 b	alls e	venly	ι.										
3	US	eac	aicuia		neip	you '	ind a	is mar	ny lao	ctors	01 50	54 as	you	can:			(A f	actor	divide	s into	7
															S		an	umbe	r ever remair	ly	
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Multiplication and Division

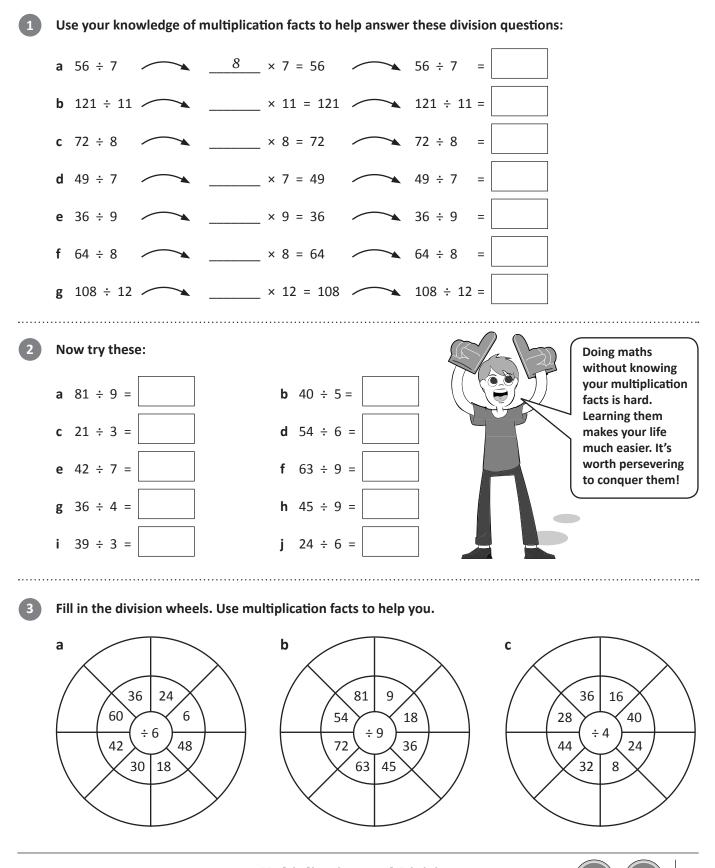
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9

SERIES TOPIC

Knowing our multiplication facts helps us with division as they do the reverse of each other. They are inverse operations.

3 × 5 = 15 15 ÷ 5 = 3



Multiplication and Division

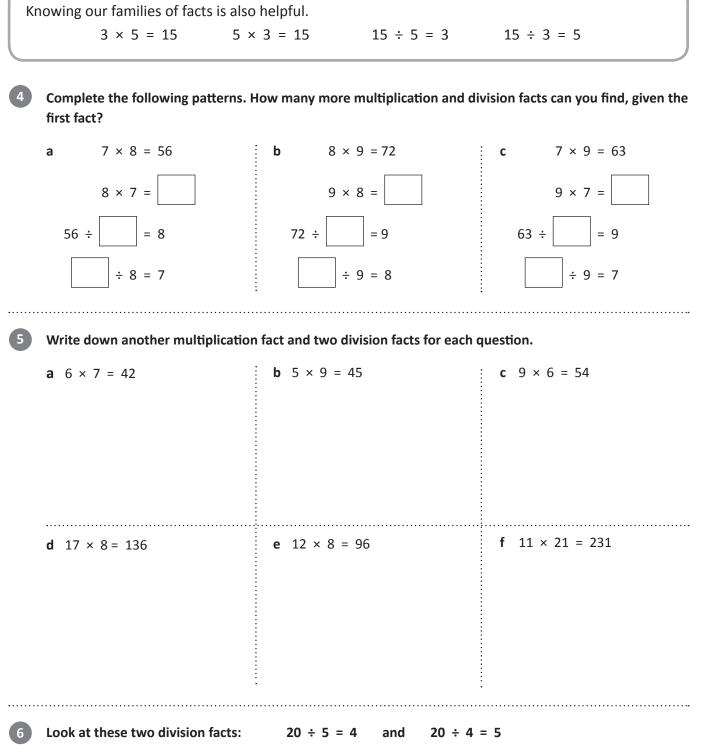
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11

SERIES

TOPIC

Mental division strategies – use multiplication facts



Imagine you're explaining to a younger child how they're related yet different. How would you do it? What would you say/write/draw?



Mental division strategies – divide by 10s, 100s and 1 000s

When we divide by 10 we move the number one place value to the right. When we divide by 100 we move the number two place values to the right. When we divide by 1 000 we move the number three place values to the right. Look what happens to 45 000 when we apply these rules:

Ten Thousands	Thousands	Hundreds	Tens	Units	
4	5	0	0	0	
	4	5	0	0	÷ 10
		4	5	0	÷ 100
			4	5	÷ 1000

b



Divide the following numbers by 10, 100 and 1 000:

а	T Th	Th	Н	Т	U	
	4	5	0	0	0	
						÷ 10
						÷ 100
						÷ 1000

T Th	Th	н	Т	U	
4	3	0	0	0	
					÷ 10
					÷ 100
					÷ 1000

С	T Th	Th	Н	Т	U	
	8	5	0	0	0	
						÷ 10
						÷ 100
						÷ 1000

d	T Th	Th	н	Т	U	
	8	8	0	0	0	
						÷ 10
						÷ 100
						÷ 1000

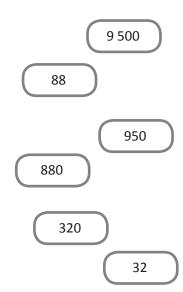
2

f

Draw lines to match the answers with the questions:

a What number is one thousand times smaller than 32 000?
b What number is one hundred times smaller than 32 000?
c What number is one hundred times smaller than 95 000?
d What number is ten times smaller than 95 000?
e What number is one hundred times smaller than 8 800?

What number is ten times smaller than 8 800?

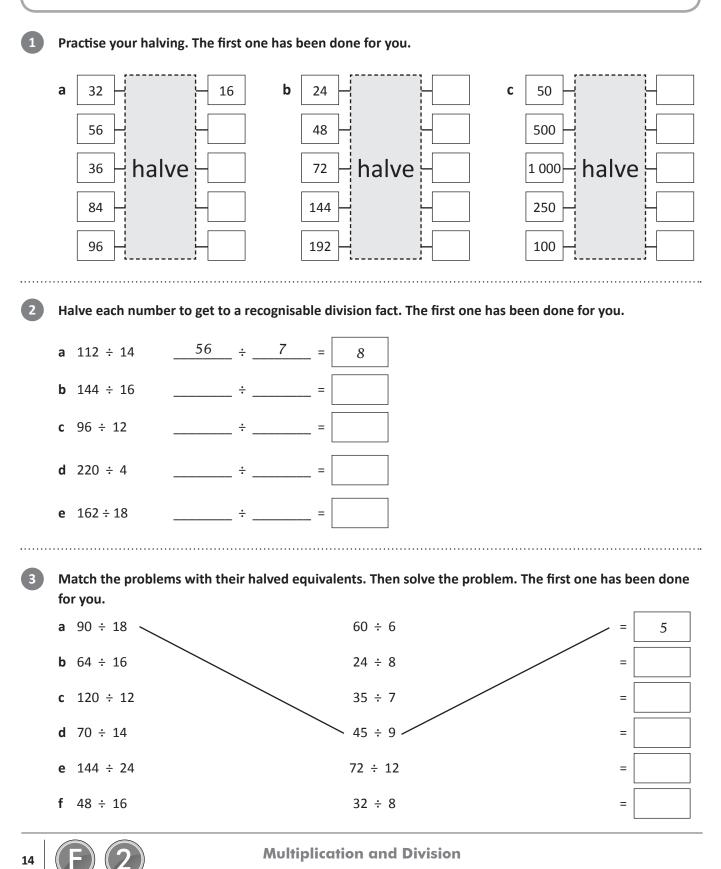




Mental division strategies – halving strategy

When the two numbers seem too large to work with in our heads, we can halve them till we get to a division fact we recognise. Both numbers must be even for this to work.

 $126 \div 14$ (half 126) ÷ (half 14) $63 \div 7 = 9$



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TOPIC

Sometimes we need to keep halving until we reach an easy division fact. $144 \div 36 \longrightarrow 72 \div 18 \longrightarrow 36 \div 9 = 4$ Keep halving until you get to a fact you can work with. If you can do it in your head, just fill in the last box. Otherwise, use the lines to help you. a 216÷36 = _____ ÷ ____ = ____ ÷ ____ = **b** $196 \div 28 = \div = \div$ = c 224÷32 = _____÷ ____ = ____÷ ____ = **d** 168÷24 = _____÷ ____ = _____÷ ___ **e** 144 ÷ 36 = _____ ÷ ____ = ____ ÷ = f 288÷72 = _____÷ ____ = ___ ÷ = 5 Draw lines to connect numbers that could be doubled or halved to reach each other. 16 10 40 48 25 64 32 20 60 96 30 128 256 192 120 125 250 50 80 100

6

Work with a partner to solve this problem using halving:

You have an after school job at the local lolly shop, making up the mixed lolly bags. Today, you have to evenly share 288 freckles among 48 bags. How many freckles will you put in each bag? Show each halved sum.



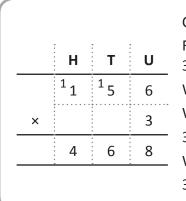
Mental division strategies – split strategy

Division problems also become easier if you split the number to be divided into recognisable facts. 144 ÷ 9 Look at the problem 144 \div 9 54 Can we divide 144 into 2 multiples of 9? 90 ÷9 ÷9 We can divide it into 54 and 90. These are both easily 10 + 6 = 16 divided by 9. Then we add the two answers together. Use the split strategy to divide these numbers. Use the clues to guide you: b 85 ÷ 5 а 112 ÷ 8 С 78 ÷ 6 80 32 50 18 ÷8 ÷8 ÷5 ÷5 ÷6 ÷6 _____+ ___7 = _____ + ____ = 10 + ____ = d f 64 ÷ 4 91 ÷ 7 $144 \div 8$ е 24 21 80 64 ÷7 ÷7 $\div 4 \div 4$ ÷8 ÷8 _____ + _____ = _____ + _____ = + Now try these: 2 Hmmm ... 91 ÷ 7. The unit digit helps **a** 90 ÷ 6 (-6) (-6me here. What multiple of 7 ends in 1? I know, 21. So that makes the other number 70! **b** 105 ÷ 7 \checkmark 70 ÷ \vdots c 72 ÷ 4 $\overrightarrow{}$ = _______ = DISCOVER



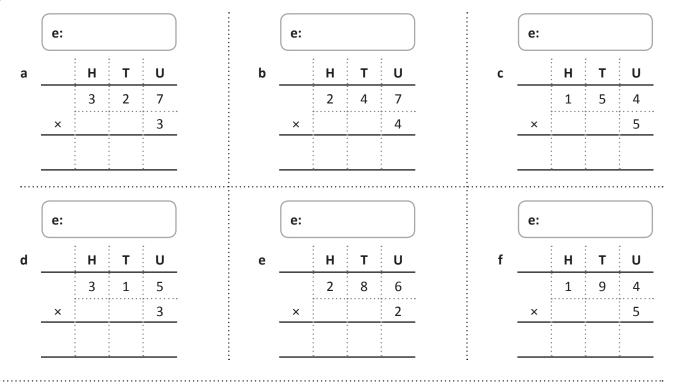
Multiplication and Division

Written methods – contracted multiplication



Contracted multiplication is one way to solve a multiplication problem. First we use our mental strategies to estimate an easier problem: $3 \times 150 = 450$. The answer will be around 450. We start with the units. 3×6 is 18 units. We rename this as 1 ten and 8 units. We put 8 in the units column and carry the 1 to the tens column. 3×5 plus the carried 1 is 16 tens. We rename this as 1 hundred and 6 tens. We put 6 in the tens column and carry the 1 to the hundreds column. 3×1 plus the carried 1 is 4 hundreds. We put 4 in the hundreds column.

Solve these problems using contracted multiplication. Estimate first:



Solve these word problems. Show how you worked them out:

- a Dan's dad has resorted to bribery to counteract Dan's PlayStation addiction. For every evening, Dan spends away from the PlayStation, his dad pays him \$3. So far, Dan has racked up an impressive 27 nights (though he looks like breaking any day now). How much money does this equate to?
- b Dan's mum thinks she might get in on the action too and pays Dan \$4 for every week that he puts his dishes in the dishwasher and his dirty clothes in the basket. Dan is less keen on this plan but does manage 33 weeks in 1 year. How much has he made out of this scheme?



Multiplication and Division

Written methods – contracted multiplication



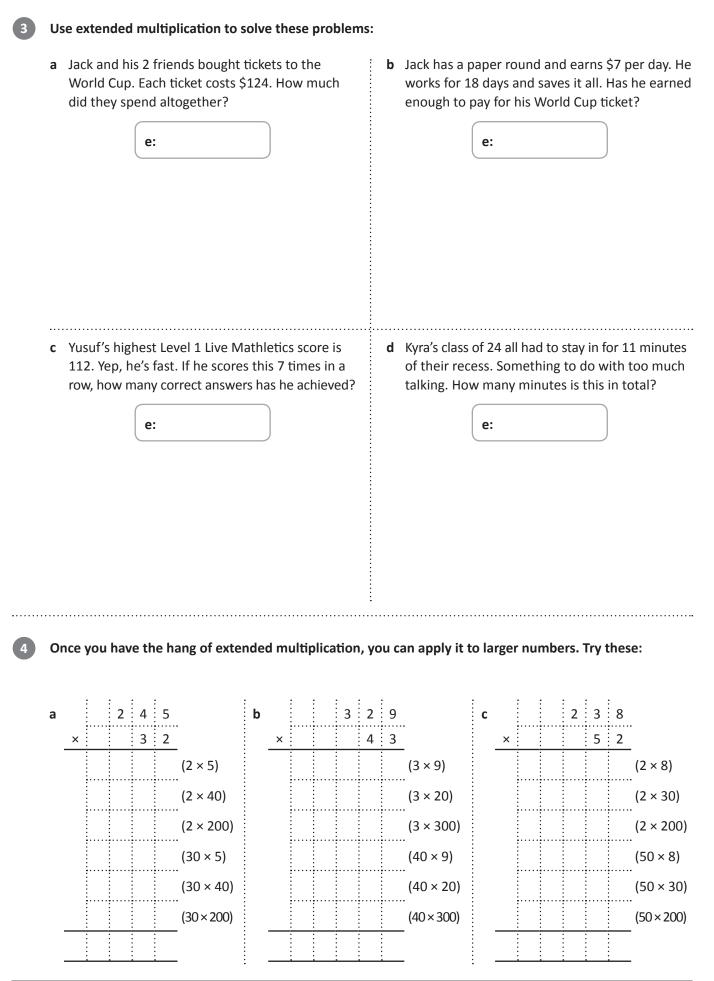
3 Below are Jess and Harry's tests. Check them and give them a mark out of 5. If they made mistakes, give them some feedback as to where they went wrong.

		Je	ess			-			На	arry	
		¹ 3	¹ 8	7		•			¹ 3	¹ 8	7
	×			2		•		×			2
		7	7	4		•			7	7	4
						•					
		1	1	9		•			¹ 1	⁶ 1	Ç
	×			7		•		×			7
		7	7	3					8	3	3
						•					
		2	0	3		•			2	0	3
	×			3		•		×			3
		6	0	9		•				6	9
						•					
		4	¹ 3	6		•			¹ 4	¹ 3	6
×				3		•	×				-
	1	2	0	8				1	3	0	5
						•					
		4	0	1					4	0	1
×				7				×			7
	2	8	0	7					2	8	7
					J						

21

:

Written methods – extended multiplication



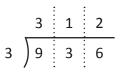
23

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TOPIC

Written methods – short division

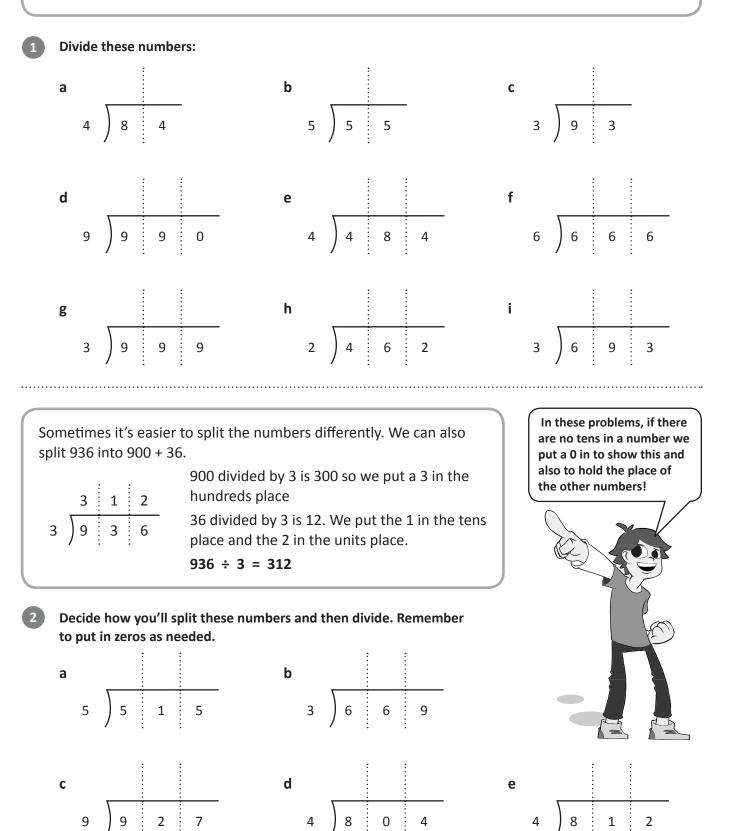
In short division, we use our knowledge of multiplication to help us. We can split 936 into 900 + 30 + 6.



900 divided by 3 is 300, so we put a 3 in the hundreds place. 30 divided by 3 is 10, so we put a 1 in the tens place.

6 divided by 3 is 2, so we put a 2 in the units place.

936 ÷ 3 = 312





Multiplication and Division

Written methods – short division with remainders

Sometimes numbers don't divide evenly. The amount left over is called the **remainder**. Look at 527 divided by 5. 500 divided by 5 is 100. 0 5 1 r 2 27 divided by 5 is 5 with 2 left over (this is the remainder). 5 This can be written as r 2. $527 \div 5 = 105 r 2$. Divide these 2 digit numbers. Each problem will have a remainder. b а r r С r 9 7 5 7 6 3 8 d f е r r 5 6 3 9 6 6 2 Divide these 3 digit numbers. Each problem will have a remainder. b а r r С ١r 5 5 3 5 7 6 6 8 1 1 f d r r ŗ е 9 9 9 8 4 5 3 8 4 4 6 6 3 Solve these problems:

- a Giovanni's Nonna has given him a bag of gold coins to share among him and his two sisters.
 There are 47 gold coins altogether. How many does each child get if they're shared evenly?
 How would you suggest they deal with the remainder?
- **b** You have 59 jubes to add to party bags. Each bag gets 5 jubes. How many full party bags can you make?



0 5 ; r 2 There are 3 ways of expressing remainders. How we do it depends on how we'd deal with the problem in the real world. Look at: 5 One way is to write r 2 as in the example above. We use this when we don't care about being absolutely precise and when the remainder can't be easily broken up. An example would be sharing 527 jelly beans among 5 people. Solve these problems expressing the remainders as r. **b** Share 215 paper clips among 7 people. **a** Share 126 blue pencils among 4 people. We can also express a remainder as a fraction. We do this when we can easily share the remainder. For example, 19 cakes shared among 3 people 3 1 is 6 and one third each. Solve these problems expressing the remainder as a fraction: **a** Share 13 pizzas among 4 people. **b** Share 50 sandwiches among 3 people. REMEMBER 6 We express remainders as decimals when we must be absolutely precise. 27 divided by 2 is 13. Sharing dollar amounts is a good example of this. We add the cents after Now we have one dollar the decimal point to help us. Try these: left. How how many cents is half of one dollar? **a** Share 12 dollars among 4 people. **b** Share 27 dollars between 2 people. 2 0 0 0 THINK

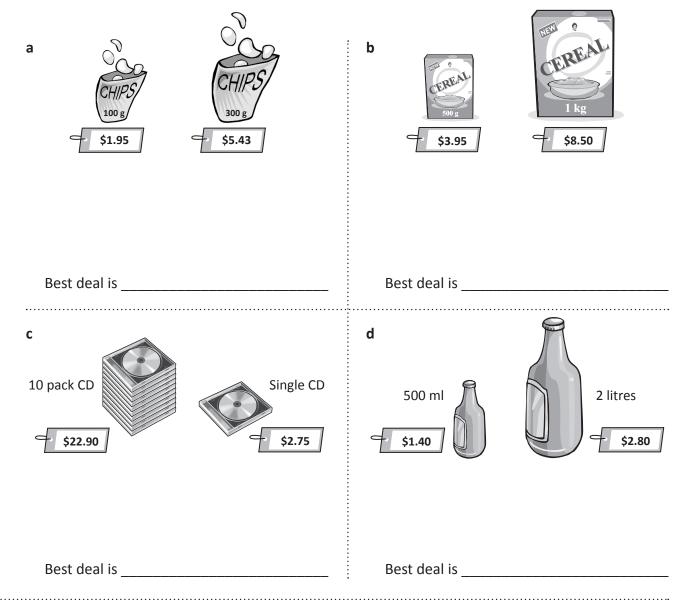


26

2

We regularly come across multiplication and division problems in our everyday life. It doesn't matter which strategy we use to solve them, we can choose the one that suits us or the problem best.

One real-life problem is comparing prices to find the best deal. It's easy if the prices and amounts are the same but what if the amounts are different? Use a strategy to help you find the best deal on these:



You go to the service station with your weekly pocket money of \$5. When you take a \$1.75 chocolate bar to the counter, they offer you the special of 3 bars for \$4.50. Which is a better deal? Show why.



Written methods – solving problems You're planning a trip to the Wet and Wild theme park and there are many ticket options. Use a strategy of your choice and the price list below to answer the following questions: Entry 1-day pass \$32 2-day pass \$48 Annual pass \$99

Individual rides \$12

10-ride pass **\$95**

Order online **\$5 discount**

30-minute helicopter ride **\$209** Sunset cruise **\$12** Lunch cruise **\$22**

Swim with the dolphins **\$75**

a If you buy a 2-day pass, what is the cost per day?

- **b** How much cheaper is this option than buying two 1-day passes?
- **c** If you bought an annual pass, how many times would you need to visit to make it a better option than buying either a 1-day or 2-day pass?
- **d** What if you choose just the rides? How much would you save if you bought the 10-ride pass instead of the individual rides?
- e If you took a 5-minute helicopter ride, what would be the cost per minute?
- f What about if you chose the 10-minute flight option? What would be the cost per minute?

g Plan a day's itinerary for you and a partner. How much will this cost?



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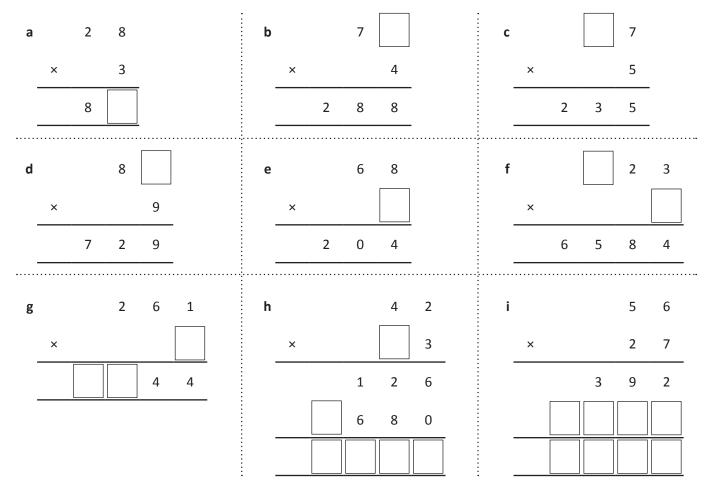




Puzzles

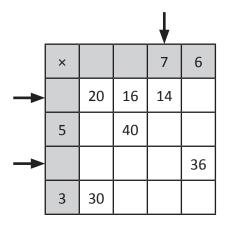


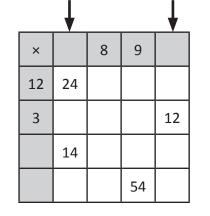
Use your knowledge of multiplication to work out the missing values:



What to do

Fill in the multiplication and division tables by working out the missing digits. The arrows show you some good starting places.





×			3	
4				32
		14		
	45		27	
12		24		
×			9	
×	6		9	
× 11	6 33	44	9	
		44	9 63	

